

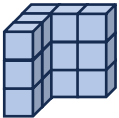
Math Challenge #8



First Name: _____	Last Name: _____	Grade: _____
Teacher: _____	Parent's email: _____	

Toys

Kinder & First Grade: solve at least 3 problems.
Second & Third Grade: solve at least 7 problems.
Fourth Grade and above: solve at least 12 problems.

	<i>Answer</i>
<p>1. Olivia has 6 stuffed animals, and she wants to add 3 more to her collection. How many stuffed animals will Olivia have in total? $6 + 3 = 9$</p>	<i>9 [stuffed animals]</i>
<p>2. Sarah has saved \$12 to buy new toys. She finds a toy car for \$6 and a puzzle for \$5. How much money does she have left after buying both toys? Toy car and puzzle cost $\\$6 + \\$5 = \\$11$. Money leftover after buying the toy car and the puzzle: $\\$12 - \\$11 = \\$1$.</p>	<i>[\$]1 or one dollar</i>
<p>3. Tim is playing with cubes. He has 5 cubes already. How many more cubes does he need to build the structure shown in figure 1?</p> <div style="display: flex; align-items: center;">  <div> <p>Figure 1 has $3+3+3+3+3 = 15$ cubes. Since Tim has 5 cubes already, he needs $15 - 5 = 10$ more cubes.</p> </div> </div> <p style="margin-top: 5px;">Figure 1</p>	<i>10 [cubes]</i>
<p>4. Half of Evan's collection of stuffed animals are bears. If he has 7 bears, how many stuffed animals does he have? $7+7 = 14$</p>	<i>14 [stuffed animals]</i>
<p>5. Since the free one is the cheapest toy, we can add up the prices of all toys except for the cheapest one: $\\$35+\\$37+\\$42= \\114</p>	<i>\$114 or \$114.00</i>
<p>6. To maximize the number of different toy cars John can buy, he should start by selecting the cheapest ones. First, he can buy the \$5 toy car. Then, he can add the \$6 toy car, totaling \$11. Next, he can buy the \$7 toy car, making it a total of \$18, but he would have only \$2 left which is not enough to pay for any toy car. So, with \$20, John can get 3 different toy cars. Or the cost of all the cars in collection is $\\$4 + \\$5 + \\$6 + \\$7 + \\$9 + \\$12 = \\$43$. John has \$20, so he doesn't have enough money to buy the whole collection, as he is $\\$43 - \\$20 = \\$23$ short. Three cars can fit precisely \$23 ($\\$4+\\$7+\\$12= \\$23$ or $\\$5 + \\$6 + \\$12 = \\23). So, he can afford to buy three cars (\$5, \$6, \$9, or \$4, \$7, \$9), and there will be no change left. Thus, John can buy at most 3 cars.</p>	<i>3 [toy cars]</i>
<p>7. The total number of toys is $12+6 = 18$. If they want to have an equal number of toys, they need to split 18 toys equally: $18 \div 2 = 9$. Sal should give $12 - 9 = 3$ to Sarah so that each will have 9 action figures.</p>	<i>3 [toys] or 3 [action figures]</i>

8.	<p>1 toy robot: $20 + 5 = 25$ minutes</p> <p>6 toy robots: $25 + 25 + 25 + 25 + 25 + 25$ or $6 \times 25 = 150$ minutes.</p> <p>150 minutes = 2 hours and 30 minutes</p>	2 hours and 30 minutes
9.	<p>The display has 3 shelves and can hold 12 toy soldiers in each shelf: $3 \times 12 = 36$ toy soldiers.</p> <p>$36 - 28 = 8$ more toy soldiers.</p>	8 [toy soldiers]
10.	<p>To calculate the profit for toy cars, we subtract the cost from the selling price: Profit per car = Selling price - Cost price = $\\$8 - \\$5 = \\$3$. Similarly, for toy trains: Profit per train = Selling price - Cost price = $\\$10 - \\$7 = \\$3$. Now, we calculate the total profit: Total profit = (Profit per car * Number of cars) + (Profit per train * Number of trains) Total profit = $(\\$3 * 50) + (\\$3 * 30) = \\$150 + \\$90 = \mathbf{\\$240}$.</p>	[\$]240 [profit]
11.	<p>Each machine will produce $120 \div 3 = 40$ toy airplanes.</p> <p>If each machine takes 2 hours to produce 1 toy airplane, it will take 40×2 hours or 80 hours to produce 40 toy airplanes or 120 airplanes for all three machines.</p>	80 [hours]
12.	<p>$(60-3)+(26 \times 2)+26+(14 \times 2)+14+14+(14 \times 2)+38 = 57+52+26+28+28+28+38 = \mathbf{257}$ toys.</p>	257 [toys]
13.	<p>There are 3 thirds in one whole. So, to complete the rest of the puzzle, they need $45 \text{ min} \times 2 = \mathbf{90}$ minutes.</p>	90 minutes
14.	<div style="display: flex; align-items: flex-start;"> <div style="margin-right: 20px;"> <p>Alina Boris $\frac{1}{4}$ of 600 Camille</p> </div> <div> <p>Alina = $\frac{1}{5}$ of 750 = 150 Boris = $\frac{1}{4}$ of $(750 - 150) = \frac{1}{4}$ of 600 = 150 Camille = $750 - 300 = 450$</p> </div> </div> <p>Another way to calculate: From the drawing, Boris completed the same number of pieces as Alina. So, Camille completed $750 - 150 - 150 = \mathbf{450}$ pieces.</p> <p>Another way to calculate: From the model, Alina completed $\frac{1}{5}$ of the puzzle and Boris completed $\frac{1}{5}$ of the puzzle. Thus, $\frac{3}{5}$ of the puzzle was Camille's share. $\frac{3}{5} \times 750 = \mathbf{450}$ pieces.</p>	450 [pieces]
15.	<p>To minimize excess inventory, the store should aim to meet the demand exactly, when possible. To do this, you can calculate how many packs of each toy they need to order:</p> <ul style="list-style-type: none"> For action figures: $120 \div 25 = 4.8$ packs. We round up to 5 packs of action figures since we want to meet demand. For building sets: $100 \div 15 = 6.67$ packs. We round up to 7 packs of building sets since we want to meet demand. 	5 [packs] of action figures 7 [packs] of building sets
16.	<p>To ensure that 90% of the toys made are defect-free: $90\% \times$ the number of toys made = 475. So, $475 \div 90\% =$ the number of toys need to be made. $475 \div 90/100 = 475 \times 100/90 = 527.78 \rightarrow$ we round up to 528 for a reasonable answer.</p> <ul style="list-style-type: none"> Check: $528 \times 90\% = 528 \times 90/100 = 47520/100 = 475.20 \rightarrow$ about 475 toys are defect-free. 	528 [toys]
17.	<p>In 2020, its value was $\\$160 \times 8 = \\$1,280$. In 2021, its value was $\\$1280 \times 1.10 = \\1408 In 2022, its value was $\\$1408 \times 1.10 = \\1548.80 In 2023, its value was $\\$1548.80 \times 1.10 = \\1703.68 In 2024, its value was $\\$1703.68 \times 1.10 = \\1874.05</p>	[\$]1874

<p>18. 3 workers assemble 1 toy in 8 hours it means 1 worker assembles $\frac{1}{3}$ toy in 8 hrs. Or 1 worker assembles $\frac{1}{24}$ toy in 1 hr. At first, 3 workers that worked for two hours, so, they assembled $3 \times \frac{1}{24} \times 2 = \frac{1}{4}$ toy. Then 1 worker left, and 2 of them working for 3 hours: $2 \times \frac{1}{24} \times 3 = \frac{1}{4}$ toy. Let's figure out what part of a toy is still left for assembling $1 - \frac{1}{4} - \frac{1}{4} = 1 - \frac{1}{2} = \frac{1}{2}$. Now 2 more workers join, so there are 4 people assembling the rest $\frac{1}{2}$ of the toy. $4 \times \frac{1}{24} \times (? \text{ hrs.}) = \frac{1}{2} \Rightarrow \frac{1}{6} \times 3 = \frac{1}{2}$, so, they needed 3 hours to complete assembling the toy. In total it took 2 hrs. + 3 hrs. + 3 hrs. = 8 hours of assembling</p>	<p>8 [hours]</p>
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Solution is available on February 2, 2024
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